| Discipline: Electrical Engg. | Semester: $3^{\text {rd }}$ | Name Of The Teaching Faculty: Suraj Kumar Garada |
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| Subject: Engg. Mathematics III <br> (Th-1) | No. of days/week class allotted: 4 | No. of weeks:15 <br> Semester from: 06/11/21 to 08/01/22 |
| Week | Class Day | Theory Topics |
| $1^{\text {st }}$ | $1^{\text {st }}$ | Chapter 1: COMPLEX NUMBERS <br> Real and imaginary numbers |
|  | $2^{\text {nd }}$ | Complex numbers, conjugate complex numbers, modulus and amplitude of a complex number |
|  | $3^{\text {rd }}$ | Geometrical representation of complex numbers |
|  | $4^{\text {th }}$ | Properties of complex numbers |
| $2^{\text {nd }}$ | 1st | Determination of three cube roots of unity and their properties |
|  | $2^{\text {nd }}$ | De moivre's theorem |
|  | $3{ }^{\text {rd }}$ | Chapter 2: MATRICES <br> Define rank of a matrix. |
|  | $4^{\text {th }}$ | Perform elementary row transformations to determine the rank of a matrix |
| $3^{\text {rd }}$ | $1^{\text {st }}$ | State rouche's theorem for consistency of a system of linear equations in $n$ unknowns. |
|  | $2^{\text {nd }}$ | Solve equations in three unknowns testing consistency |
|  | $3{ }^{\text {rd }}$ | Chapter 3: LINEAR DIFFERENTIAL EQUATIONS <br> Define homogeneous and non-homogeneous linear differential equations with constant coefficients with examples |
|  | $4^{\text {th }}$ | Auxiliary equation for linear differential equations with examples |
| $4^{\text {th }}$ | $1^{\text {st }}$ | Complementary function(c.f) for homogeneous linear differential equations with examples |
|  | $2^{\text {nd }}$ | Find general solution of linear differential equations in terms of c.f. and p.i |
|  | $3{ }^{\text {rd }}$ | Derive rules for finding c.f. and p.i. in terms of operator d |
|  | $4^{\text {th }}$ | Particular integral(p.i) for non-homogeneous linear differential equations with examples |


| $15^{\text {th }}$ | $1^{\text {st }}$ | Particular integral(p.i) for non-homogeneous linear differential equations with examples |
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|  | $2^{\text {nd }}$ | Define partial differential equation (p.d.e) |
|  | $3{ }^{\text {rd }}$ | Form partial differential equations by eliminating arbitrary constants and arbitrary functions. |
|  | $4^{\text {th }}$ | Solve partial differential equations of the form $\mathrm{pp}+\mathrm{qq}=\mathrm{r}$ |
| $6^{\text {th }}$ | $1^{\text {st }}$ | Chapter 4: LAPLACE TRANSFORMS <br> Define gamma function and $\Gamma(n)=(n+1)$ ! |
|  | $2^{\text {nd }}$ | Find $\Gamma\left(\frac{1}{2}\right)=\sqrt{\pi}$ |
|  | $3{ }^{\text {rd }}$ | Define laplace transform of a function $f(t)$ |
|  | $4^{\text {th }}$ | Derive l.t. of standard functions and explain existence conditions of l.t |
| $7^{\text {th }}$ | $1^{\text {st }}$ | Linear and shifting property of l.t |
|  | $2^{\text {nd }}$ | Laplace transformation of some elementary functions |
|  | $3{ }^{\text {rd }}$ | Formulate l.t. of derivatives, integrals, multiplication by $t^{n}$ and division by $t$ |
|  | $4^{\text {th }}$ | Solve problems on laplace transformation |
| $8^{\text {th }}$ | $1{ }^{\text {st }}$ | Define inverse laplace transform of a function |
|  | $2^{\text {nd }}$ | Derive formulae of inverse I.t. |
|  | $3^{\text {rd }}$ | Explain method of partial fractions |
|  | $4^{\text {th }}$ | Problems oninverse laplace transform |
| $9^{\text {th }}$ | $1^{\text {st }}$ | Chapter 5:FOURIER SERIES <br> Define periodic functions with examples |
|  | $2^{\text {nd }}$ | State dirichlet's condition for the fourier expansion of a function and it's convergence |
|  | $3{ }^{\text {rd }}$ | Express periodic function $f(x)$ satisfying dirichlet's conditions as a fourier series |
|  | $4^{\text {th }}$ | State euler's formulae |
| $10^{\text {th }}$ | $1^{\text {st }}$ | Formulae for fourier series coefficients |
|  | $2^{\text {nd }}$ | Problems on finding fourier series coefficients |
|  | $3^{\text {rd }}$ | Problems on finding fourier series coefficients |
|  | $4^{\text {th }}$ | Problems on finding fourier series coefficients |


| $11^{\text {th }}$ | $1{ }^{\text {st }}$ | Define even and odd functions |
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|  | $2^{\text {nd }}$ | Find fourier series of even and odd functions in ( $0 \leq x \leq 2 \pi$ and $-\pi \leq x \leq \pi$ ) |
|  | $3{ }^{\text {rd }}$ | Obtain fourier series of continuous functions in ( $0 \leq x \leq 2 \pi$ and $-\pi \leq x \leq \pi$ ) |
|  | $4^{\text {th }}$ | Obtain fourier series of functions having points of discontinuity ( $0 \leq x \leq 2 \pi$ and $-\pi \leq x \leq \pi$ ) |
| $12^{\text {th }}$ | $1^{\text {st }}$ | Chapter 6: NUMERICAL METHODS <br> Appraise limitation of analytical methods of solution of algebraic equations |
|  | $2^{\text {nd }}$ | Derive iterative formula for finding the solutions of algebraic equations by bisection method |
|  | $3{ }^{\text {rd }}$ | Derive iterative formula for finding the solutions of algebraic equations by secant and regula-falsi method |
|  | $4^{\text {th }}$ | Derive iterative formula for finding the solutions of algebraic equations by newton- raphson method |
| $13^{\text {th }}$ | $1{ }^{\text {st }}$ | Chapter 7: FINITE DIFFERENCE AND INTERPOLATION Explain finite difference |
|  | $2^{\text {nd }}$ | Form table of forward difference. |
|  | $3{ }^{\text {rd }}$ | Form table of backward difference. |
|  | $4^{\text {th }}$ | Define shift operator(e) and establish relation between e\& difference operator( $\Delta$ ) |
|  | $1{ }^{\text {st }}$ | Problems based on these finite difference operators |
| $14^{\text {th }}$ | $2^{\text {nd }}$ | State lagrange's interpretation formula for unequal intervals |
|  | $3{ }^{\text {rd }}$ | Derive newton's forward interpolation formula for equal intervals |
|  | $4^{\text {th }}$ | Derive newton's backward interpolation formula for equal intervals |
| $15^{\text {th }}$ | $1{ }^{\text {st }}$ | Explain numerical integration |
|  | $2^{\text {nd }}$ | Newton's cote's formula |
|  | $3{ }^{\text {rd }}$ | Trapezoidal rule |
|  | $4^{\text {th }}$ | Simpson's 1/3rd rule |

